

UNIVERSITI SAINS MALAYSIA

Peperiksaan Semester Kedua  
Sidang 1988/89

Mac/April 1989

MKT261 - Kaedah Statistik Gunaan

Masa: [3 jam]

Jawab Soalan 1 dan EMPAT soalan yang lain. Semua soalan mesti dijawab dalam Bahasa Malaysia. Satu set lampiran dikepilkan.

1. (a) Pertimbangkan soalselidik berikut:

<u>Lajur</u>	<u>Soalselidik kakitangan</u>
$\bar{1} \quad \bar{2}$	Bilangan pembalas (untuk tujuan pengkodan sahaja)
$\bar{4}$	1. Jantina: (0) Perempuan (1) Lelaki
$\bar{6} \quad \bar{7}$	2. Umur dalam tahun pada 1 Jan., 1989: — —
$\bar{9}$	3. Paras pendidikan: (1) SPM (2) STPM (3) Diploma (4) B.Sc. (5) M.Sc. ke atas
$\bar{11}$	4. Status perkahwinan: (1) belum kahwin (2) sudah kahwin (3) lain
$\bar{13} \quad \bar{14} \quad \bar{15}$	5. Bilangan bulan sudah bekerja pada 1 Jan., 1989: — — —
$\bar{17}$	6. Pengkelasan kerja: (1) kerani (2) juruteknik (3) pegawai tadbir (4) pengurus (5) lain
$\bar{19} \quad \bar{20} \quad \bar{21} \quad \bar{22}$	7. Caji sebulan pada 1 Jan., 1989 (\$): — — — —

Cadangan analisis-analisis statistik yang sesuai bagi data yang dikutip mengikuti soalselidik di atas.  
Tuliskan sebuah programan SPSS yang melaksanakan cadangan-cadangan anda.

(25/100)

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- (b) Anda telah menjalankan suatu ujian-t dua sampel dengan menggunakan prosedur T-TEST daripada SPSS/PC. Output ditunjukkan di bawah. Tuliskan suatu perenggan pendek yang meringkaskan kesimpulan anda. (Group 1 terdiri daripada pesakit-pesakit yang menerima tablet placebo dan Group 2 terdiri daripada pesakit-pesakit yang menerima tablet dengan agen antihipertensif baru.)

Independent samples of RAWATAN treatment given

Group 1: RAWATAN EQ 1                      Group 2: RAWATAN EQ 2

t-test for: PRESSURE mean arterial pressure

	Number of Cases	Mean	Standard Deviation	Standard Error
Group 1	15	127.0667	24.079	6.217
Group 2	14	99.0000	8.814	2.356

F Value	2-Tail Prob.	Pooled Variance Estimate			Separate Variance Estimate		
		t Value	Degrees of Freedom	2-Tail Prob.	t Value	Degrees of Freedom	2-Tail Prob.
7.46	.001	4.11	27	.000	4.22	17.91	.001

(15/100)

- (c) Girard L.J., J. Rodriguez, dan M.L. Mailman dalam kertas mereka "Reducing surgically induced astigmatism by using a scleral tunnel", American Journal of Ophthalmology, Vol. 97, pp. 450-456, mengkaji paras astigmatism dalam 36 orang pesakit sebelum dan selepas suatu pembedahan "cataract extraction" khas. Output SPSS/PC dengan menggunakan prosedur T-TEST ditunjukkan di bawah (Pembolehubah POSTOP menunjuk paras astigmatism selepas pembedahan dan PREOP menunjuk paras astigmatism sebelum pembedahan):

Paired samples t-test: POSTOP astigmatism (diopters) postoperative  
PREOP astigmatism preoperative

Variable	Number of Cases	Mean	Standard Deviation	Standard Error
POSTOP	36	1.1075	.837	.140
PREOP	36	1.4322	.826	.138

(Difference) Mean	Standard Deviation	Standard Error	Corr.	2-Tail Prob.	t Value	Degrees of Freedom	2-Tail Prob.
-.3247	.673	.112	.672	.000	-2.89	35	.007

- (i) Huraikan kesimpulan anda.
- (ii) Andaikan kita juga ingin mendapati suatu selang keyakinan 95% bagi  $\rho$ , di mana  $\rho$  adalah korelasi sebenar di antara pembolehubah POSTOP dan PREOP.  
Huraikan bagaimanakah anda akan memperolehi selang keyakinan tersebut, dan kemudian dapatkan selang keyakinan itu.

(30/100)

- (d) Seorang ahli biologi ingin mengkaji sama ada kandungan air dalam daun dipengaruhi oleh waktu daun itu ditimbang. Adakah difikirkan faktor-faktor seperti pokok dan saiz daun akan mempengaruhi hasil didapati. Jadi, beliau telah menjalankan suatu eksperimen dengan menggunakan suatu rekabentuk segiempat sama Latin.  
Output SPSS bagi data daripada eksperimen ini ditunjukkan di bawah:

ANALYSIS OF VARIANCE

MOISTURE moisture content  
 BY PLANT  
 LEAF leaf size  
 TIME time of weighing

Source of Variation	Sum of Squares	DF	Mean Square	F	Signif of F
Main Effects	53.221	12	4.435	6.580	.001
PLANT	28.885	4	7.221	10.714	.001
LEAF	23.708	4	5.927	8.794	.001
TIME	.627	4	.157	.233	.915
Explained	53.221	12	4.435	6.580	.001
Residual	8.088	12	.674		
Total	61.309	24	2.555		

Huraikan kesimpulan-kesimpulan yang boleh diperolehi daripada eksperimen tersebut.

(15/100)

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- (e) Yang berikut adalah sebahagian daripada output yang dikeluarkan oleh SPSS/PC apabila prosedur REGRESSION dijalankan dengan METHOD=BACKWARD. Sebenarnya output ditunjukkan di bawah dipetik daripada langkah pertama kaedah BACKWARD. Andaikan POUT = 0.10.

Variables in the Equation

Variable	Correl	Part Cor	Partial	T	Sig T
X6	-.40862	-.01205	-.03091	-.151	.8809
X3	.09914	-.05101	-.12981	-.641	.5274
X2	.14501	.02947	.07542	.371	.7142
X4	-.91240	-.20161	-.45955	-2.535	.0182
X5	.25724	.04756	.12116	.598	.5555
X1	-.89261	-.09057	-.22640	-1.139	.2661
(Constant)				.665	.5125

Apakah pembolehubah yang pertama dikeluarkan daripada model regresi itu? Mengapa?

(15/100)

2. Seorang ahli statistik ingin menyiasat kesan pada tekanan darah diastolik tikus-tikus albino jantan yang hiperaktif di bawah paras- paras dosej berbeza daripada sejenis dadah sedatif yang baru dikembangkan. Sekumpulan tikus dengan 24 ekor tikus begitu diumpukkan secara rawak (6 ekor kepada setiap paras) kepada empat paras dosej, dan tekanan-tekanan darah diastolik (dalam mm Hg) direkodkan 15 minit selepas rawatan. Bacaan-bacaan yang diperolehi ditunjukkan di bawah:

	Paras dosej (mg)			
	5	10	15	20
	97	91	86	85
	91	89	90	88
	90	88	89	83
	93	90	91	83
	91	95	94	86
	96	93	84	85
$\Sigma$ :	558	546	534	510

$$y_{..} = 2,148 \quad \Sigma \Sigma y_{ij}^2 = 192,614$$

- (a) Binakan suatu jadual analisis varians.
- (b) Adakah terdapat perbezaan yang bererti di antara paras dosej dadah sedatif terhadap tekanan darah diastolik? Gunakan  $\alpha = .05$ . Nyatakan semua anggapan yang digunakan.

- (c) Jika suatu perbezaan bererti didapati dalam (b), gunakan ujian Duncan dengan  $\alpha = .05$  untuk mendapati paras-paras dosej dadah sedatif yang berbeza secara bererti.
- (d) Katakan paras dosej dadah sedatif ditandakan x dan tekanan darah diastolik ditandakan y. Ahli statistik tersebut pun juga ingin menyuaikan suatu model regresi linear mudah bagi y diberikan x. Andaikan

$$\begin{aligned} \sum x_i &= 50 & \sum x_i^2 &= 750 \\ \sum y_i &= 2148 & \sum y_i^2 &= 192,614 \\ \sum x_i y_i &= 10,740 & n &= 24 \end{aligned}$$

Dapatkan garis regresi linear mudah itu. Ujikan sama ada model regresi linear mudah itu bererti atau tidak. Gunakan  $\alpha = .05$ .

(100/100)

3. Dalam suatu eksperimen yang melibatkan kesan-kesan fisiologi di bawah keadaan hipnosis, E.C. Damaser, R.E. Shor, dan M.T. Orne ("Physiological Effects During Hypnotically Requested Emotions", Psychosomatic Medicine, Vol. 25, 1963, pp. 334-343) menyukatkan potential kulit (disesuaikan bagi paras permulaan) dalam milivolt untuk lapan orang di bawah emosi ketakutan, kegembiraan, kesedihan, dan ketenangan - yang telah diminta dalam suatu cara rawak. Data yang diperolehi ditunjukkan di bawah:

Orang	Emosi				Jumlah
	Ketakutan	Kegembiraan	Kesedihan	Ketenangan	
1	23.1	22.7	22.5	22.6	90.9
2	57.6	53.2	53.7	53.1	217.6
3	10.5	9.7	10.8	8.3	39.3
4	23.6	19.6	21.1	21.6	85.9
5	11.9	13.8	13.7	13.3	52.7
6	54.6	47.1	39.2	37.0	177.9
7	21.0	13.6	13.7	14.8	63.1
8	20.3	23.6	16.3	14.8	75.0
Jumlah	222.6	203.3	191.0	185.5	802.4

$$\sum_{ij} y_{ij}^2 = 27,448.28$$

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- (a) Binakan suatu jadual analisis varians.
- (b) Adakah potential kulit berbeza secara bererti bagi emosi yang berbeza? Gunakan  $\alpha = .05$ . Nyatakan semua anggapan yang telah digunakan.
- (c) Andaikan sebelum eksperimen tersebut dijalankan, penyiasat-penyiasat telah merancang untuk membandingkan emosi ketenangan dengan emosi-emosi yang lain terhadap potential kulit yang diperhatikan. Binakan suatu set kontras ortogon yang membenarkan penyiasat-penyiasat menjalankan perbandingan mereka. Adakah terdapat kontras yang bererti? Gunakan  $\alpha = .05$ .

(100/100)

4. (a) Nyatakan prinsip-prinsip asas dalam rekabentuk eksperimen. Apakah kebaikan-kebaikan eksperimen faktorial apabila dibandingkan dengan eksperimen satu-faktor-pada-suatu-masa?

(20/100)

- (b) Seorang pensyarah statistik ingin menjalankan suatu eksperimen yang melibatkan tiga pakej komputer statistik, SPSS, SAS, dan BMDP. Eksperimen ini dijalankan dalam sebuah kelas kaedah statistik lanjutan yang terdiri daripada 27 orang pelajar, yang sama dibahagikan di antara major dalam sains komputer, statistik, dan major-majors lain, iaitu, terdapat 9 orang pelajar dalam setiap kumpulan di atas. Tiga orang pelajar dalam setiap major diminta menganalisis secara tak bersandar suatu set data dengan menggunakan suatu pakej komputer yang diumpukkan secara rawak. Bilangan minit kerja diperlukan untuk menulis programan diperlukan untuk menganalisis data tersebut direkodkan dengan keputusan berikut:

Major	Pakej komputer		
	SPSS	SAS	BMDP
Sains Komputer	12	10	14
	8	13	9
	11	9	13
Statistik	12	8	15
	10	12	11
	15	14	16
Lain	11	13	20
	17	18	17
	15	16	19

- (i) Adakah terdapat tindakan bersaling yang bererti?  
Gunakan  $\alpha = .05$ .  
Tunjukkan secara bergraf kesan tindakan bersaling.
- (ii) Adakah terdapat perbezaan yang bererti di antara pakej-pakej komputer statistik digunakan? di antara major-major? Gunakan  $\alpha = .05$ .
- (iii) Nyatakan semua anggapan yang digunakan.

Perhatian: Jumlah nilai-nilai cerapan dalam setiap sel ditunjukkan di bawah:

Major	Pakej komputer				Jumlah
		SPSS	SAS	BMDP	
Sains Komputer		31	32	36	99
Statistik		37	34	42	113
Lain		43	47	56	146
Jumlah		111	113	134	358

Juga,  $\sum_{ijk} y_{ijk}^2 = 5,034$ .

(50/100)

- (c) L. Suarez dan E. Barrett-Conner dalam kertas mereka "Is an educated wife hazardous to your health?" (American Journal of Epidemiology, 1984, Vol. 119, pp. 244-249) mendapati jadual berikut daripada suatu kajian yang melibatkan 1698 pasangan suami-isteri:

Pendidikan suami	Pendidikan isteri				Jumlah
		Graduan Kolej	Graduan sekolah menengah	Kurang daripada graduan sekolah menengah	
Graduan kolej		298	478	14	788
Graduan sekolah menengah		108	604	60	772
Kurang daripada graduan sekolah menengah		8	95	35	138
Jumlah		412	1177	109	1698

Ujikan sama ada terdapat kaitan di antara pendidikan isteri dan pendidikan suami. Gunakan  $\alpha = .05$ .

(30/100)

5. (a) Andaikan Jabatan Pemasaran daripada sebuah pengeluar permainan elektronik ingin menyukatkan keberkesanan jenis-jenis media periklanan yang berbeza dalam memajukan permainan-permainannya. Khasnya, dua jenis media akan dipertimbangkan: periklanan radio dan televisyen dan periklanan suratkhbar (termasuk kos kupon diskaun). Suatu sampel yang terdiri daripada 22 buah bandaraya dengan saiz populasi yang hampir sama dipilih untuk kajian dalam masa suatu tempoh ujian selama sebulan. Setiap bandaraya diuntukkan suatu paras perbelanjaan tertentu bagi kedua-dua periklanan radio dan televisyen dan juga periklanan suratkhbar. Jualan (dalam juta ringgit) permainan-permainan elektronik semasa bulan ujian direkodkan dalam jadual di bawah bersama-sama dengan paras-paras perbelanjaan media.

Bandaraya	y Jualan (juta \$)	x <sub>1</sub> Periklanan radio dan TV (ribu \$)	x <sub>2</sub> Periklanan suratkhbar (ribu \$)
1	9.73	0	20
2	11.19	0	20
3	8.75	5	5
4	6.25	5	5
5	9.10	10	10
6	9.71	10	10
7	9.31	15	15
8	11.77	15	15
9	8.82	20	5
10	9.82	20	5
11	16.28	25	25
12	15.77	25	25
13	10.44	30	0
14	9.14	30	0
15	13.29	35	5
16	13.30	35	5
17	14.05	40	10
18	14.36	40	10
19	15.21	45	15
20	17.41	45	15
21	18.66	50	20
22	17.17	50	20

Anda boleh menganggap pengiraan di bawah:

$$\begin{aligned} \Sigma y_j &= 269.53 & \Sigma x_{j1} &= 550 & \Sigma x_{j2} &= 260 \\ \Sigma y_j^2 &= 3,378.6645 & \Sigma x_{j1}^2 &= 19,250.00 & \Sigma x_{j2}^2 &= 4,300.00 \\ \Sigma x_{j1}y_j &= 7,667.20 & \Sigma x_{j2}y_j &= 3,515.10 & \Sigma x_{j1}x_{j2} &= 6,650.00 \\ \hat{\beta}_0 &= 5.2574 & \hat{\beta}_1 &= 0.1621 & \hat{\beta}_2 &= 0.2489 \end{aligned}$$

- (i) Tuliskan persamaan regresi linear berganda sampel yang diperolehi.
- (ii) Adakah model yang diperolehi bererti? Gunakan  $\alpha = .05$ .
- (iii) Jika diberikan juga  $SSR(\beta_0, \beta_1) = 156.8997$  dan  $SSR(\beta_0, \beta_2) = 88.5965$ , gunakan ujian-ujian-F separa untuk mengujikan hipotesis-hipotesis berikut:
  - (a)  $H_0 : \beta_2 = 0$ ,
  - (b)  $H_0 : \beta_1 = 0$ ,

pada paras keertian 5%. Berikan penafsiran anda.

(75/100)

- (b) Dalam suatu eksperimen yang dijalankan untuk mengkaji kesan peratus kapas pada kekuatan tensil serabut sintesis, penyiasat yang terlibat berpendapat bahawa mungkin kesan peratus kapas pada kekuatan tensil serabut sintesis tak linear. Jadi, beliau telah menjalankan prosedur SPSS, ONEWAY dengan option POLYNOMIAL.

Output didapati ditunjukkan di bawah:

ONEWAY

Variable TENSIL      tensile strength of synthetic fibre (lb/sq.in.)  
 By Variable COTTON      percentage of cotton in synthetic fibre

Analysis of Variance

Source	D.F.	Sum of Squares	Mean Squares	F Ratio	F Prob.
Between Groups	4	475.7600	118.9400	14.7568	.0000
Linear Term	1	33.6200	33.6200	4.1712	.0545
Deviation from Linear	3	442.1400	147.3800	18.2854	.0000
Quad. Term	1	343.2143	343.2143	42.5824	.0000
Deviation from Quad.	2	98.9257	49.4629	6.1368	.0084
Cubic Term	1	64.9800	64.9800	8.0620	.0101
Deviation from Cubic	1	33.9457	33.9457	4.2116	.0535
Within Groups	20	161.2000	8.0600		
Total	24	636.9600			

Huraikan kesimpulan-kesimpulan penyiasat. Gunakan  $\alpha = .05$ .

(25/100)

6. Tuliskan nota-nota pendek mengenai topik-topik yang berikut:

(a) kontras-kontras ortogon

(b) kaedah-kaedah regresi langkah demi langkah (stepwise)

(c) polinomial ortogon.

(100/100)

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BERBAGAI RUMUS (Tatatanda seperti di dalam nota kuliah)

- 1.
- Dua sampel tak bersandar
- (
- $n_1 < 25$
- atau
- $n_2 < 25$
- )

$$s_p^2 = \frac{\sum_i (x_i - \bar{x})^2 + \sum_j (y_j - \bar{y})^2}{n_1 + n_2 - 2}$$

$$= \frac{(n_1 - 1)s_1^2 + (n_2 - 1)s_2^2}{n_1 + n_2 - 2}$$

- 2.
- Sampel berpasangan

$$s_d^2 = \frac{\sum_i (d_i - \bar{d})^2}{n - 1}$$

$$= \frac{\sum_i d_i^2 - \frac{(\sum_i d_i)^2}{n}}{n - 1}$$

- 3.
- Analisis varian satu hala

$$SST = \sum_i \sum_j y_{ij}^2 - \frac{y_{..}^2}{N}$$

$$SSA = \sum_i \frac{y_{i.}^2}{n_i} - \frac{y_{..}^2}{N}$$

$$SSE = SST - SSA$$

$$\text{Bagi sebarang kontras } L = \sum_i c_i y_{i.} ,$$

$$SSL = \frac{(\sum_i c_i y_{i.})^2}{(n \sum_i c_i^2)}$$

4. Rekabentuk blok rawakan

$$SST = \sum_i \sum_j y_{ij}^2 - \frac{y_{..}^2}{N}$$

$$SSA = \sum_i \frac{y_{i.}^2}{b} - \frac{y_{..}^2}{N}$$

$$SSB = \sum_j \frac{y_{.j}^2}{a} - \frac{y_{..}^2}{N}$$

$$SSE = SST - SSA - SSB$$

5. Rekabentuk segiempat sama Latin

$$SST = \sum_i \sum_j y_{ijk}^2 - \frac{y_{...}^2}{N}$$

$$SSR = \sum_i \frac{y_{i..}^2}{P} - \frac{y_{...}^2}{N}$$

$$SSC = \sum_k \frac{y_{..k}^2}{P} - \frac{y_{...}^2}{N}$$

$$SSA = \sum_j \frac{y_{.j.}^2}{P} - \frac{y_{...}^2}{N}$$

$$SSE = SST - SSR - SSC - SSA$$

6. Rekabentuk faktorial (dua faktor)

$$SST = \sum_i \sum_j \sum_k y_{ijk}^2 - \frac{y_{...}^2}{N}$$

$$SSA = \sum_i \frac{y_{i..}^2}{bn} - \frac{y_{...}^2}{N}$$

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$$SSB = \sum_j \frac{y_{.j}^2}{n_j} - \frac{y_{...}^2}{N}$$

$$SS_{\text{sub-jumlah}} = \sum_i \sum_j \frac{y_{ij}^2}{n} - \frac{y_{...}^2}{N}$$

$$SSAB = SS_{\text{sub-jumlah}} - SSA - SSB$$

$$SSE = SST - SS_{\text{sub-jumlah}}$$

### 7. Korelasi dan regresi linear mudah

$$r^2 = \left( \frac{\sum_i x_i y_i - (\sum_i x_i)(\sum_i y_i)/n}{\sqrt{[\sum_i x_i^2 - (\sum_i x_i)^2/n][\sum_i y_i^2 - (\sum_i y_i)^2/n]}} \right)^2$$

$$\hat{\beta}_1 = \frac{\sum_i x_i y_i - (\sum_i x_i)(\sum_i y_i)/n}{\sum_i x_i^2 - (\sum_i x_i)^2/n}$$

$$\hat{\beta}_0 = \bar{y} - \hat{\beta}_1 \bar{x}$$

$$\begin{aligned} SSE &= s_{yy} - \hat{\beta}_1^2 s_{xx} \\ &= s_{yy} - \hat{\beta}_1 s_{xy} \end{aligned}$$

$$s_{Y \cdot X}^2 = \frac{SSE}{n-2}$$

Anggaran ralat piawai bagi  $\hat{\beta}_0$  ialah

$$\sqrt{\text{MSE} \left( \frac{1}{n} + \frac{\bar{x}^2}{s_{xx}} \right)}$$

Anggaran ralat piawai bagi  $\hat{\beta}_1$  ialah

$$\sqrt{\text{MSE}/s_{xx}}$$

Selang peramalan  $100(1 - \alpha)\%$  pada  $x = x_0$ :

$$\hat{y} \pm t_{\alpha/2} \sqrt{\text{MSE} \left( 1 + \frac{1}{n} + \frac{(x_0 - \bar{x})^2}{S_{xx}} \right)}$$

Selang keyakinan  $100(1 - \alpha)\%$  pada  $x = x_0$  bagi  $\mu_{Y \cdot X_0}$  ialah

$$\hat{y} \pm t_{\alpha/2} \sqrt{\text{MSE} \left( \frac{1}{n} + \frac{(x_0 - \bar{x})^2}{S_{xx}} \right)}$$

### 8. Regresi linear berganda

$$\underline{y} = \begin{pmatrix} y_1 \\ y_2 \\ \vdots \\ y_n \end{pmatrix}, \quad \underline{x} = \begin{pmatrix} 1 & x_{11} & x_{12} & \cdots & x_{1k} \\ 1 & x_{21} & x_{22} & \cdots & x_{2k} \\ \vdots & \vdots & \vdots & & \vdots \\ 1 & x_{n1} & x_{n2} & \cdots & x_{nk} \end{pmatrix}$$

$$\underline{\beta} = \begin{pmatrix} \beta_0 \\ \beta_1 \\ \vdots \\ \beta_k \end{pmatrix}, \quad \underline{\varepsilon} = \begin{pmatrix} \varepsilon_1 \\ \varepsilon_2 \\ \vdots \\ \varepsilon_n \end{pmatrix}$$

$$\hat{\underline{\beta}} = (\underline{X}'\underline{X})^{-1} \underline{X}'\underline{y}$$

$$\text{SSE} = \underline{y}'\underline{y} - \hat{\underline{\beta}}'\underline{X}'\underline{y}$$

$$\text{SSR} = \hat{\underline{\beta}}'\underline{X}'\underline{y} - (\Sigma y_i)^2/n$$

$$r_{12.3}^2 = \frac{(r_{12} - r_{13} r_{23})^2}{(1 - r_{13}^2)(1 - r_{23}^2)}$$

$$\text{MSE} = \frac{\text{SSE}}{n-p}, \quad p = k+1.$$

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9. Polinomial ortogon

$$P_0(x) = 1$$

$$P_1(x) = \lambda_1 \left[ \frac{x-\bar{x}}{d} \right]$$

$$P_2(x) = \lambda_2 \left[ \left( \frac{x-\bar{x}}{d} \right)^2 - \left( \frac{n^2-1}{12} \right) \right]$$

$$P_3(x) = \lambda_3 \left[ \left( \frac{x-\bar{x}}{d} \right)^3 - \left( \frac{x-\bar{x}}{d} \right) \left( \frac{3n^2-7}{20} \right) \right]$$

$$P_4(x) = \lambda_4 \left[ \left( \frac{x-\bar{x}}{d} \right)^4 - \left( \frac{x-\bar{x}}{d} \right)^2 \left( \frac{3n^2-13}{14} \right) + \frac{3(n^2-1)(n^2-9)}{560} \right]$$

$$\hat{\alpha}_j = \frac{\sum_{i=1}^n P_j(x_i) y_i}{\sum_{i=1}^n P_j^2(x_i)}, \quad j = 0, 1, \dots, k$$

$$SSR(\alpha_j) = \hat{\alpha}_j \sum_{i=1}^n P_j(x_i) y_i$$

$$SSE(k) = S_{yy} - \sum_{j=1}^k \hat{\alpha}_j \left[ \sum_{i=1}^n P_j(x_i) y_i \right]$$

10. Pemilihan pembolehubah dan pembangunan model dalam regresi

$$R_p^2 = \frac{SSR(p)}{S_{yy}} = 1 - \frac{SSE(p)}{S_{yy}}$$

$$\overline{R_p^2} = 1 - \left( \frac{n-1}{n-p} \right) (1 - R_p^2)$$

$$MSE(p) = \frac{SSE(p)}{n-p}$$

$$C_p = \frac{SSE(p)}{\hat{\sigma}^2} - (n-2p), \quad \text{di mana } \hat{\sigma}^2 \text{ adalah suatu anggaran } \sigma^2.$$

VII. Significant Ranges for Duncan's Multiple Range Test<sup>a</sup>

f	$r_{01}(p, f)$											
	p											
	2	3	4	5	6	7	8	9	10	20	50	100
1	90.0	90.0	90.0	90.0	90.0	90.0	90.0	90.0	90.0	90.0	90.0	90.0
2	14.0	14.0	14.0	14.0	14.0	14.0	14.0	14.0	14.0	14.0	14.0	14.0
3	8.26	8.5	8.6	8.7	8.8	8.9	8.9	9.0	9.0	9.3	9.3	9.3
4	6.51	6.8	6.9	7.0	7.1	7.1	7.2	7.2	7.3	7.5	7.5	7.5
5	5.70	5.96	6.11	6.18	6.26	6.33	6.40	6.44	6.5	6.8	6.8	6.8
6	5.24	5.51	5.65	5.73	5.81	5.88	5.95	6.00	6.0	6.3	6.3	6.3
7	4.95	5.22	5.37	5.45	5.53	5.61	5.69	5.73	5.8	6.0	6.0	6.0
8	4.74	5.00	5.14	5.23	5.32	5.40	5.47	5.51	5.5	5.8	5.8	5.8
9	4.60	4.86	4.99	5.08	5.17	5.25	5.32	5.36	5.4	5.7	5.7	5.7
10	4.48	4.73	4.88	4.96	5.06	5.13	5.20	5.24	5.28	5.55	5.55	5.55
11	4.39	4.63	4.77	4.86	4.94	5.01	5.06	5.12	5.15	5.39	5.39	5.39
12	4.32	4.55	4.68	4.76	4.84	4.92	4.96	5.02	5.07	5.26	5.26	5.26
13	4.26	4.48	4.62	4.69	4.74	4.84	4.88	4.94	4.98	5.15	5.15	5.15
14	4.21	4.42	4.55	4.63	4.70	4.78	4.83	4.87	4.91	5.07	5.07	5.07
15	4.17	4.37	4.50	4.58	4.64	4.72	4.77	4.81	4.84	5.00	5.00	5.00
16	4.13	4.34	4.45	4.54	4.60	4.67	4.72	4.76	4.79	4.94	4.94	4.94
17	4.10	4.30	4.41	4.50	4.56	4.63	4.68	4.73	4.75	4.89	4.89	4.89
18	4.07	4.27	4.38	4.46	4.53	4.59	4.64	4.68	4.71	4.85	4.85	4.85
19	4.05	4.24	4.35	4.43	4.50	4.56	4.61	4.64	4.67	4.82	4.82	4.82
20	4.02	4.22	4.33	4.40	4.47	4.53	4.58	4.61	4.65	4.79	4.79	4.79
30	3.89	4.06	4.16	4.22	4.32	4.36	4.41	4.45	4.48	4.65	4.71	4.71
40	3.82	3.99	4.10	4.17	4.24	4.30	4.34	4.37	4.41	4.59	4.69	4.69
60	3.76	3.92	4.03	4.12	4.17	4.23	4.27	4.31	4.34	4.53	4.66	4.66
100	3.71	3.86	3.98	4.06	4.11	4.17	4.21	4.25	4.29	4.48	4.64	4.65
$\infty$	3.64	3.80	3.90	3.98	4.04	4.09	4.14	4.17	4.20	4.41	4.60	4.68

f = degrees of freedom.

<sup>a</sup> Reproduced with permission from "Multiple Range and Multiple F Tests," by D. B. Duncan, *Biometrics*, Vol. 1, No. 1, pp. 1-42, 1955.

VII. Significant Ranges for Duncan's Multiple Range Test (continued)

$r_{05}(p, f)$												
$p$												
$f$	2	3	4	5	6	7	8	9	10	20	50	100
1	18.0	18.0	18.0	18.0	18.0	18.0	18.0	18.0	18.0	18.0	18.0	18.0
2	6.09	6.09	6.09	6.09	6.09	6.09	6.09	6.09	6.09	6.09	6.09	6.09
3	4.50	4.50	4.50	4.50	4.50	4.50	4.50	4.50	4.50	4.50	4.50	4.50
4	3.93	4.01	4.02	4.02	4.02	4.02	4.02	4.02	4.02	4.02	4.02	4.02
5	3.64	3.74	3.79	3.83	3.83	3.83	3.83	3.83	3.83	3.83	3.83	3.83
6	3.46	3.58	3.64	3.68	3.68	3.68	3.68	3.68	3.68	3.68	3.68	3.68
7	3.35	3.47	3.54	3.58	3.60	3.61	3.61	3.61	3.61	3.61	3.61	3.61
8	3.26	3.39	3.47	3.52	3.55	3.56	3.56	3.56	3.56	3.56	3.56	3.56
9	3.20	3.34	3.41	3.47	3.50	3.52	3.52	3.52	3.52	3.52	3.52	3.52
10	3.15	3.30	3.37	3.43	3.46	3.47	3.47	3.47	3.47	3.48	3.48	3.48
11	3.11	3.27	3.35	3.39	3.43	3.44	3.45	3.46	3.46	3.48	3.48	3.48
12	3.08	3.23	3.33	3.36	3.40	3.42	3.44	3.44	3.46	3.48	3.48	3.48
13	3.06	3.21	3.30	3.35	3.38	3.41	3.42	3.44	3.45	3.47	3.47	3.47
14	3.03	3.18	3.27	3.33	3.37	3.39	3.41	3.42	3.44	3.47	3.47	3.47
15	3.01	3.16	3.25	3.31	3.36	3.38	3.40	3.42	3.43	3.47	3.47	3.47
16	3.00	3.15	3.23	3.30	3.34	3.37	3.39	3.41	3.43	3.47	3.47	3.47
17	2.98	3.13	3.22	3.28	3.33	3.36	3.38	3.40	3.42	3.47	3.47	3.47
18	2.97	3.12	3.21	3.27	3.32	3.35	3.37	3.39	3.41	3.47	3.47	3.47
19	2.96	3.11	3.19	3.26	3.31	3.35	3.37	3.39	3.41	3.47	3.47	3.47
20	2.95	3.10	3.18	3.25	3.30	3.34	3.36	3.38	3.40	3.47	3.47	3.47
30	2.89	3.04	3.12	3.20	3.25	3.29	3.32	3.35	3.37	3.47	3.47	3.47
40	2.86	3.01	3.10	3.17	3.22	3.27	3.30	3.33	3.35	3.47	3.47	3.47
60	2.83	2.98	3.08	3.14	3.20	3.24	3.28	3.31	3.33	3.47	3.48	3.48
100	2.80	2.95	3.05	3.12	3.18	3.22	3.26	3.29	3.32	3.47	3.53	3.53
$\infty$	2.77	2.92	3.02	3.09	3.15	3.19	3.23	3.26	3.29	3.47	3.61	3.67

$f$  = degrees of freedom.

TABLE III

Transformation of  $r$  to  $Z$  (i.e.,  $Z = \frac{1}{2} \log \frac{1+r}{1-r}$ )

$r$	$Z$	$r$	$Z$	$r$	$Z$
.00	.000	.36	.377	.71	.887
.01	.010	.37	.388	.72	.908
.02	.020	.38	.400	.73	.929
.03	.030	.39	.412	.74	.950
.04	.040	.40	.424	.75	.973
.05	.050				
.06	.060	.41	.436	.76	.996
.07	.070	.42	.448	.77	1.020
.08	.080	.43	.460	.78	1.045
.09	.090	.44	.472	.79	1.071
.10	.100	.45	.485	.80	1.099
.11	.110	.46	.497	.81	1.127
.12	.121	.47	.510	.82	1.157
.13	.131	.48	.523	.83	1.188
.14	.141	.49	.536	.84	1.221
.15	.151	.50	.549	.85	1.256
.16	.161	.51	.563	.86	1.293
.17	.172	.52	.576	.87	1.333
.18	.182	.53	.590	.88	1.376
.19	.192	.54	.604	.89	1.422
.20	.203	.55	.618	.90	1.472
.21	.213	.56	.633	.91	1.528
.22	.224	.57	.648	.92	1.589
.23	.234	.58	.662	.93	1.658
.24	.245	.59	.678	.94	1.738
.25	.255	.60	.693	.95	1.832
.26	.266	.61	.709	.96	1.946
.27	.277	.62	.725	.97	2.092
.28	.288	.63	.741	.98	2.298
.29	.299	.64	.758	.99	2.647
.30	.310	.65	.775		
.31	.321	.66	.793		
.32	.332	.67	.811		
.33	.343	.68	.829		
.34	.354	.69	.848		
.35	.365	.70	.867		

Table III is abridged from Table VII of Fisher and Yates, *Statistical Tables for Biological, Agricultural, and Medical Research*, published by Oliver and Boyd Limited, Edinburgh, by permission of the authors and publishers.

X. Coefficients of Orthogonal Polynomials<sup>a</sup>

$X_i$	$n=3$			$n=4$			$n=5$			$n=6$			$n=7$								
	$P_1$	$P_2$	$P_3$	$P_1$	$P_2$	$P_3$	$P_1$	$P_2$	$P_3$	$P_4$	$P_1$	$P_2$	$P_3$	$P_4$	$P_5$	$P_6$					
1	-1	1	-3	1	1	-1	-2	2	-1	1	-5	5	-5	1	-1	-3	5	-1	3	-1	
2	0	-2	-1	-1	-1	3	-1	-1	2	-4	-3	-1	7	-3	5	-2	0	1	-7	4	-6
3	1	1	1	-1	-3	0	-2	0	0	6	-1	-4	4	2	-10	-1	-3	1	1	-5	15
4			3	1	1	1	1	-1	-2	-4	1	-4	-4	2	10	0	-4	0	6	0	-20
5							2	2	1	1	3	-1	-7	-3	-5	1	-3	-1	1	5	15
6											5	5	5	1	1	2	0	-1	-7	-4	-6
7																3	5	1	3	1	1
$\sum_{i=1}^n \{P_i(X_i)\}^2$	2	6	20	4	20	10	14	10	70	70	84	180	28	252	28	84	6	154	84	924	
$\lambda$	1	3	8	1	$\frac{10}{3}$	1	1	$\frac{5}{2}$	$\frac{35}{12}$	2	$\frac{3}{2}$	$\frac{5}{3}$	$\frac{7}{12}$	$\frac{21}{10}$	1	1	$\frac{1}{6}$	$\frac{7}{12}$	$\frac{7}{20}$	$\frac{77}{60}$	

$X_i$	$n=8$						$n=9$						$n=10$					
	$P_1$	$P_2$	$P_3$	$P_4$	$P_5$	$P_6$	$P_1$	$P_2$	$P_3$	$P_4$	$P_5$	$P_6$	$P_1$	$P_2$	$P_3$	$P_4$	$P_5$	$P_6$
1	-7	7	-7	7	-7	1	-4	28	-14	14	-4	4	-9	6	-42	18	-6	3
2	-5	1	5	-13	23	-5	-3	7	7	-21	11	-17	-7	2	14	-22	14	-11
3	-3	-3	7	-3	-17	9	-2	-8	13	-11	-4	22	-5	-1	35	-17	-1	10
4	-1	-5	3	9	-15	-5	-1	-17	9	-9	-9	1	-3	-3	31	3	-11	6
5	1	-5	-3	9	15	-5	0	-20	0	18	0	-20	-1	-4	12	18	-6	-8
6	3	-3	-7	-3	17	9	1	-17	-9	9	9	1	1	-4	-12	18	6	-8
7	5	1	-5	-13	-23	-5	2	-8	-13	-11	4	22	3	-3	-31	3	11	6
8	7	7	7	7	7	1	3	7	-7	-21	-11	-17	5	-1	-35	-17	1	10
9						4	28	14	14	4	4	4	7	2	-14	-22	-14	-11
10													9	6	42	18	6	3
$\sum_{i=1}^n \{P_i(X_i)\}^2$	168	168	264	616	2184	264	60	2772	990	2002	468	1980	330	132	8580	2860	780	660
$\lambda$	2	1	$\frac{3}{2}$	$\frac{7}{2}$	$\frac{7}{10}$	$\frac{11}{20}$	1	3	$\frac{5}{2}$	$\frac{7}{12}$	$\frac{3}{10}$	$\frac{11}{20}$	2	$\frac{1}{2}$	$\frac{5}{3}$	$\frac{5}{12}$	$\frac{1}{10}$	$\frac{11}{20}$

<sup>a</sup> Adapted with permission from *Biometrika Tables for Statisticians*, Vol. 1, 3rd edition by E. S. Pearson and H. O. Hartley, Cambridge University Press, Cambridge, 1966.

# SPSS/PC +<sup>TM</sup> Reference Card

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This card provides a convenient reference to the SPSS/PC +<sup>TM</sup> System for the IBM PC/XT and PC/AT. Command diagrams appear in alphabetical order and are constructed according to the following conventions:

**Square brackets** enclose optional specifications not necessary to the correct completion of the command. **Braces** enclose alternative specifications. One of these specifications must be entered in order to complete the command. The brackets and braces themselves are not part of the specification.

**Ellipses** indicate that an element may be repeated.

**Uppercase** elements must be entered as they appear in the diagrams.

**Lowercase** elements describe information to be filled in by the user, such as the word "varlist" to indicate a list of user-specified variables.

**Boldface** elements are defaults. Two asterisks (\*\*) indicate that a specification is a default when its associated subcommand is not specified.

## AGGREGATE

```
AGGREGATE OUTFILE={filename'}
  {/PRESORTED}
  /BREAK=varlist {{{A}}} [varlist {{{A}}} ...
  {/D}}
  {/MISSING=COLUMNWISE}
  /aggvar 'label' aggvar 'label' ...
  =function(varlist,arguments)
  {/aggvar ...}
```

## ANOVA

```
ANOVA [VARIABLES=] varlist BY varlist(min,max) [WITH varlist]
  {/[VARIABLES=] varlist ...}
  {/OPTIONS=option numbers}
  {/STATISTICS={statistic numbers}}
  {ALL}
```

### Options:

- |                                  |                                 |
|----------------------------------|---------------------------------|
| 1 Include user-missing values    | 7 Covariates with main effects  |
| 2 Suppress labels                | 8 Covariates after main effects |
| 3 Suppress all interaction terms | 9 Regression approach           |
| 4 Suppress three-way terms       | 10 Hierarchical approach        |
| 5 Suppress four-way terms        | 11 Narrow format                |
| 6 Suppress five-way terms        |                                 |

### Statistics:

- MCA table
- Unstandardized regression coefficients for covariates
- Display cell means and counts

## BEGIN DATA—END DATA

```
BEGIN DATA
line of data
END DATA
```

## COMMENT

\* text

## COMPUTE

```
COMPUTE target variable-expression
```

### Arithmetic Operators:

- + Addition     - Subtraction
- \* Multiplication   / Division
- \*\* Exponentiation

### Numeric Functions:

ABS	Absolute value	RND	Round
TRUNC	Truncate	MOD10	Modulus
SQRT	Square root	EXP	Exponential
LG10	Base 10 logarithm	LN	Natural logarithm
SIN	Sine	COS	Cosine
ATAN	Arctangent		

### Missing-Value Functions:

```
VALUE     Treat user-missing as valid
SYSMIS   Return 1 if system-missing
MISSING   Return 1 if missing
```

### Cross-case Function:

```
LAG     Lag
```

### Random-Number Functions:

```
UNIFORM   Uniform pseudo-random number
NORMAL     Normal pseudo-random number
```

### Date Function:

```
YRMODA   Date function
```

## CORRELATION

```
CORRELATION [VARIABLES=] {varlist} [WITH varlist] {/varlist ...}
  {ALL}
  {/OPTIONS=option numbers}
  {/STATISTICS={statistic numbers}}
  {ALL}
```

### Options:

- |                                   |                                      |
|-----------------------------------|--------------------------------------|
| 1 Include user-missing values     | 4 Write count and correlation matrix |
| 2 Exclude missing values pairwise | 5 Display count and probability      |
| 3 Two-tailed probability          |                                      |

### Statistics:

- Univariate mean, standard deviation, and count
- Cross-product deviations and covariance

## COUNT

```
COUNT varname=varlist (value list) varlist (value list)
  {/varname=...}
```

### Keywords available for numeric value lists:

```
LO LOWEST HI HIGHEST THRU SYSMIS MISSING
```

## CROSSTABS

```
CROSSTABS [TABLES=] {varlist} BY varlist {BY...}
  {/[TABLES=] varlist...}
  {/OPTIONS=option numbers}
  {/STATISTICS={statistic numbers}}
  {ALL}
```

### Options:

- |   |  |
|---|--|
| 1 Include user-missing values             | 13 Suppress cell counts                                |
| 2 Suppress all labels                     | 14 Display expected frequencies                        |
| 3 Display row percentages                 | 15 Display chi-square residuals                        |
| 4 Display column percentages              | 16 Display standardized chi-square residuals           |
| 5 Display two-way table total percentages | 17 Display adjusted standardized, chi-square residuals |
| 6 Suppress value labels                   | 18 Display all cell information                        |
| 8 Order rows by descending value          | 19 Suppress values                                     |
| 12 Suppress tables                        |  |

### Statistics:

- |  |                   |
|--|-------------------|
| 1 Chi-square   | 6 Kendall's tau-b |
| 2 Phi for 2 x 2 tables, Cramér's V for larger tables | 7 Kendall's tau-c |
| 3 Contingency coefficient                            | 8 Gamma           |
| 4 Lambda   | 9 Somers' d       |
| 5 Uncertainty coefficient                            | 10 Eta            |
|  | 11 Pearson's r    |

## DATA LIST: Fixed Format

```
DATA LIST [FILE='filename'] [FIXED] [TABLE]
  /varlist columns {{{(n)}}} [varlist columns ...] {/ ...} {/ ...}
  {/ ...}
  {/ ...}
```

### Format    Meaning

- (n)    Implied decimal places for numeric variables
- (A)    String variable

## DATA LIST: Freefield Format

```
DATA LIST [FILE='filename'] FREE
  /variable {{{A}} varlist
```

### Format    Meaning

- (Aw)    String of width w

## DATA LIST: Matrix Materials

```
DATA LIST [FILE='filename'] MATRIX {{{FIXED}} /varlist
  {FREE}
```

## DESCRIPTIVES

```
DESCRIPTIVES [VARIABLES=] {varlist}
  {ALL}
  {/OPTIONS=option numbers}
  {/STATISTICS={statistic numbers}}
  {ALL}
```

### Options:

- |                                   |                           |
|-----------------------------------|---------------------------|
| 1 Include user-missing values     | 6 Serial format           |
| 2 Suppress variable labels        | 7 Narrow format           |
| 3 Save Z scores on active file    | 8 Suppress variable names |
| 5 Exclude missing values listwise |                           |

### Statistics:

- |                          |   |
|--------------------------|---|
| 1 Mean                   | 9 Range   |
| 2 Standard error of mean | 10 Minimum  |
| 5 Standard deviation     | 11 Maximum  |
| 6 Variance               | 12 Sum  |
| 7 Kurtosis               | 13 Mean, standard deviation, minimum, and maximum |
| 8 Skewness               |   |

## DISPLAY

```
DISPLAY {{{varlist}}}
  {ALL}
```

**EXECUTE**

EXECUTE {path\filename{.ext}} ['parameters']  
 {DOS

**EXPORT**

EXPORT OUTFILE='filename' [/KEEP={ALL  
 {varlist}}] [/DROP=varlist]  
 [/RENAME=(old varlist-new varlist)...] [/MAP]  
 [/DIGITS=number]

**FINISH**

FINISH

**FORMATS**

FORMATS variable (format) [variable ...]

Format Meaning

Fw.d Numeric of width w and d decimal places  
 COMMAw.d Numeric with commas and decimal places  
 DOLLARw.d Numeric with dollar sign, commas, and decimal places

**FREQUENCIES**

FREQUENCIES [VARIABLES={varlist  
 ALL}]  
 [/FORMAT={CONDENSE} ] [NOTABLE] ] [NOLABELS]  
 [ONEPAGE [LIMIT(n)]]  
 [DVALUE] [DOUBLE] [NEWPAGE]]  
 [APFREQ  
 DPFREQ]  
 [/MISSING=INCLUDE]  
 [/BARCHART={MINIMUM(n) [MAXIMUM(n)] [FREQ(n) ]]  
 PERCENT(n) ]]  
 [/HISTOGRAM={MINIMUM(n) [MAXIMUM(n)] [FREQ(n) ]]  
 PERCENT(n) ]]  
 [ {NONORMAL} ] [INCREMENT(n) ]]  
 NORMAL ]]  
 [/HBAR=same keywords as HISTOGRAM]  
 [/NTILES=n] [/PERCENTILES=value list]  
 [/STATISTICS={DEFAULT} [MEAN] [STDDEV] [MINIUM] [MAXIMUM]  
 SEMEAN] [VARIANCE] [SKEWNESS] [SESKEW] [RANGE] [MODE]  
 KURTOSIS] [SEKURT] [MEDIAN] [SUM] [ALL] [NONE]]

**GET**

GET {FILE={ 'SPSS.SYS' }} [/DROP=varlist]  
 'filename'

**HELP**

HELP [ALL] [TOPICS] [NEWS]  
 [command] [subcommand] [topic]

**IF**

IF (logical expression) target variable=assignment expression

**Relational Operators:**

EQ or = Equal to NE or ~= or <> Not equal to  
 LT or < Less than LE or <= Less than or equal to  
 GT or > Greater than GE or >= Greater than or equal to

**Logical Operators:**

AND or & OR or | NOT or ~

**Missing-Value Functions:**

SYSTEMS Returns 1 (true) if value is system-missing  
 MISSING Returns 1 (true) if value is system- or user-missing  
 VALUE Returns the value itself, ignoring user-missing flags

**IMPORT**

IMPORT FILE='filename' [/KEEP={ALL  
 {varlist}}] [/DROP=varlist]  
 [/RENAME=(old varlist-new varlist)...] [/MAP]

**INCLUDE**

[INCLUDE 'filename']  
 @filename

**JOIN**

[JOIN] [MATCH  
 ADD]  
 [/FILE={file specification}  
 TABLE] {  
 [/KEEP=varlist] [/DROP=varlist]  
 [/RENAME (old varlist-new varlist) [(old varlist-...)]]  
 /FILE-...  
 ...  
 [/FILE-... ]  
 ...  
 [/MAP] [/BY=varlist]

**LIST**

LIST [{(VARIABLES={ALL\*\* }  
 {varlist}}]  
 [/CASES={FROM {n}}] [TO {of\*\*}] [BY {i\*\*}] ]  
 [/FORMAT={UNNUMBERED\*\*}] [ {WRAP\*\*}] [WEIGHT] ]  
 NUMBERED SINGLE ]

**MEANS**

MEANS [TABLES={varlist} BY varlist [BY varlist ...]  
 ALL  
 {/varlist...}]  
 [/OPTIONS=option numbers]  
 [/STATISTICS={statistic numbers}]  
 ALL

**Options:**

- |  |   |
|--|---|
| 1 Include user-missing values                      | 6 Suppress value labels                 |
| 2 Exclude cases with user-missing dependent values | 9 Suppress independent variable names   |
| 3 Suppress all labels                              | 10 Suppress independent variable values |
| 5 Suppress group counts                            | 11 Suppress group means                 |
| 6 Display group sums                               | 12 Display group variances              |
| 7 Suppress group standard deviations               |   |

**Statistics:**

- One-way analysis of variance
- Test of linearity

**MISSING VALUE**

MISSING VALUE {varlist} [{value}] [ {/varlist ... }  
 ALL

**N**

N n [ESTIMATED]

**NPAR TESTS**

NPAR TESTS [CHISQUARE=varlist [(lo,hi)]]  
 [EXPECTED={EQUAL\*\* }  
 {f1,f2, ...fn} ]]  
 [/K-S { (UNIFORM {lo,hi}) }=varlist  
 (NORMAL {m,sd}) }  
 (POISSON {m}) }]  
 (/RUNS { (MEAN ) }=varlist  
 (MEDIAN ) }  
 (MODE ) }  
 (value ) }]  
 [/BINOMIAL {(.5)}]=varlist [(value,value2)]  
 p ]]  
 [/MCNEMAR=varlist] [WITH varlist]  
 [/SIGN=varlist] [WITH varlist]  
 [/WILCOXON=varlist] [WITH varlist]  
 [/COCHRAN=varlist]  
 [/FRIEDMAN=varlist]  
 [/KENDALL=varlist]  
 [/MEDIAN [(value)]=varlist BY var (value,value2)]  
 [/M-W=varlist BY var (value,value2)]  
 [/K-S=varlist BY var (value,value2)]  
 [/M-W=varlist BY var (value,value2)]  
 [/MOSES(n)=varlist BY var (value,value2)]  
 [/K-W=varlist BY var (value,value2)]  
 [/OPTIONS=option numbers]  
 [/STATISTICS=statistic numbers]

**Options:**

- |                                   |                                   |
|-----------------------------------|-----------------------------------|
| 1 Include user-missing values     | 3 Sequential pairing of variables |
| 2 Exclude missing values listwise | for two related samples           |
|                                   | 4 Random sampling                 |

**Statistics:**

- Mean, maximum, minimum, standard deviation, and count
- Quartiles and count

**ONEWAY**

ONEWAY [VARIABLES={varlist BY varname(min,max)  
 {/POLYNOMIAL=n}]  
 [/CONTRAST=coefficient list] [/CONTRAST=...]  
 [/RANGES={SNK  
 STUKEY  
 TUKEY  
 ranges values  
 LSD  
 DUNCAN  
 MODLSD  
 SCHEFFE } ] [RANGES=...]  
 [ {(.05) } ]  
 [alpha] ]]  
 [/OPTIONS=option numbers]  
 [/STATISTICS={statistic numbers}]  
 ALL

**Options:**

- |  |   |
|--|---|
| 1 Include user-missing values                            | 7 Read matrix of counts, means, and standard deviations                 |
| 2 Exclude missing values listwise                        |   |
| 3 Suppress variable labels                               | 8 Read matrix of counts, means, pooled variance, and degrees of freedom |
| 4 Write matrix of counts, means, and standard deviations | 10 Harmonic mean of all group sizes as sample sizes in range tests      |
| 6 Use value labels as group labels                       |   |

**Statistics:**

- Group descriptive statistics
- Fixed- and random-effects statistics
- Homogeneity-of-variance tests

**PLOT**

```
PLOT [MISSING={LISTWISE} | [INCLUDE]]
  [/HSIZE={38**} | [/VSIZE={16**}
  [/CUTPOINT={EVERY({n})} |
  value list]
  [/SYMBOLS={ALPHANUMERIC**
  NUMERIC
  'symbols' { 'overplot symbols' }
  'hexsymbs' { 'overplot hexsymbs' }
  [/HORIZONTAL={ 'title' | STANDARDIZE | REFERENCE(vector) }
  [MIN(min) | MAX(max) | UNIFORM]
  [/VERTICAL={ 'title' | STANDARDIZE | REFERENCE(vector) }
  [MIN(min) | MAX(max) | UNIFORM]
  [/FORMAT={DEFAULT**
  CONTOUR({n})
  OVERLAY
  REGRESSION
  [/TITLE='title']
  /PLOT={varlist} [WITH varlist [(PAIR)] [BY varname] [:varlist...]]
  [/PLOT=...]
```

**PROCESS IF**

```
PROCESS IF ((variable (relational operator) value))
```

**Relational Operators:**

```
EQ or = NE or -- or <>
LT or < LE or <=
GT or > GE or >=
```

**RECODE**

**Numeric Recodes:**

```
RECODE varlist (value list=value)...(value list=value)
  [/varlist...]
```

Input keywords available for numeric recodes are:

```
LO LOWEST HI HIGHEST THRU MISSING SYSMIS ELSE
```

Output keywords available for numeric recodes are:

SYSMIS

**String Recodes:**

```
RECODE varlist ('string'.'string'...'='string')
  [varlist...]
```

Input keywords available for string recodes are:

ELSE

**REGRESSION**

```
REGRESSION VARIABLES={varlist
  ALL
  [COLLECT]}
  [/STATISTICS={DEFAULTS**} [R] [COEFF] [ANOVA] [OUTS]
  [ZPP] [CHA] [CI] [F] [BCOV] [SES] [TOL]
  [COND] [XTX] [HISTORY] [END] [LINE] [ALL]]
  [/CRITERIA={DEFAULTS**} [TOLERANCE({0.01})] [MAXSTEPS({20})]
  [(PIN({0.05}) | [POUT({0.1})]
  value value
  [FIN({3.84})] | [FOUT({2.71})]
  value value]
  [/[NOORIGIN**]
  ORIGIN
  /DEPENDENT=varlist
  /METHOD={STEPWISE [= varlist] | [METHOD=...]}
  FORWARD [=varlist]
  BACKWARD [=varlist]
  ENTER [=varlist]
  REMOVE=varlist
  TEST={varlist} (varlist)
  [/DESCRIPTIVES={DEFAULTS} [MEAN] [STDDEV] [CORR]
  [VARIANCE] [XPROD] [SIG] [N] [BADCORR]
  [COV] [ALL] [NONE**]}
  [/SELECT={ALL**
  varname relation value}
  [/MISSING={LISTWISE** | [INCLUDE]}
  PAIRWISE
  MEANSUBSTITUTION]
  [/WIDTH={value on SET**}
  n]
```

**REGRESSION: Matrix Materials**

```
REGRESSION [READ={DEFAULTS} [MEAN] [STDDEV]
  [VARIANCE] [CORR] [N]]
  [WRITE={DEFAULTS} [MEAN] [STDDEV]
  [VARIANCE] [CORR] [COV]
  [N] [NONE**]]
  /VARIABLES=varlist/DEPENDENT=varlist/METHOD=method
```

**REGRESSION: Residuals**

```
REGRESSION VARIABLES=varlist/DEPENDENT=varname/METHOD=method
  [/RESIDUALS={DEFAULTS} [DURBIN]
  [OUTLIERS({ZRESID | ID (varname)
  tempvarlist})]
  [NORMPROB({ZRESID | HISTOGRAM({ZRESID
  tempvarlist})}]
  [SIZE({SMALL})] [SEPARATE]
  [LARGE] [POOLED]
  [/CASEWISE={DEFAULTS} [OUTLIERS({3
  value})]
  ALL
  [PLOT({ZRESID})] [DEPENDENT PRED RESID]
  tempvar tempvarlist
  [/SCATTERPLOT={varname.*tempvarname...} [SIZE({SMALL})]
  [LARGE]
  [/PARTIALPLOT={ALL
  varname,varname...} [SIZE({SMALL})]
  [LARGE]
  [/SAVE=tempvar(newname) (tempvar(newname)... ]]
```

Temporary residual variables are:

```
PRED ADJPRED SRESID MAHAL RESID ZPRED SORESID
COOK DRESID ZRESID SEPRED LEVER
```

**REPORT**

**REPORT**

```
[FORMAT={TSPACE({1})} [CHDSpace({1})]
  [BRKSPACE({1})] [FTSPACE({1})]
  [LENGTH({SET length})] [MARGINS({SET width})]
  [n,n]
  [(NOLIST) | [SUMSPACE({1})]
  [LIST({n})]
  [MISSING { 's' }]]
  [/STRING=stringname (varname) [(width)] [(BLANK)]
  'string'...[stringname...]]
  /VARIABLES={var [(VALUE)] 'col head' [(width)]
  var TO var [LABEL]
  DUMMY}
  [(OFFSET({0})] [var...
  [n]]
  [/MISSING={VAR
  NONE
  LIST(varlist[1])
  [n]}]
  [/TITLE='line1' 'line2'... [(FOOTNOTE='line1' 'line2'...
  or
  'line1' 'line2'...)]
  [LFTITLE='line1' 'line2'... [LFOOTNOTE='line1' 'line2'...
  /CTITLE='line1' 'line2'... [CFOOTNOTE='line1' 'line2'...
  /RTITLE='line1' 'line2'... [RFOOTNOTE='line1' 'line2'...
  /BREAK=varlist [(VALUE)] 'col head' [(width)]
  LABEL]
  [(OFFSET({0})] [(NOTOTAL)]
  [n] TOTAL]
  [(NONAME)] [(SKIP({1})]
  [NAME] PAGE]
  or
  /BREAK={NOBREAK} [(width)] [(OFFSET({0})] [(SKIP({1})]
  [n]]
  [/SUMMARY=function...'summary title'[(break col #)]
  [SKIP({0})]
  [n]]
  or
  [/SUMMARY=PREVIOUS({n})]
  where function is
  aggregate [(varname({d})] [(PLAIN)] [(varname...)]
  [DOLLAR]
  [COMMA]
  or
  composite(agg(varname)...)[(report coll({d})] [(PLAIN)]
  [DOLLAR]
  [COMMA]]
  Aggregate Functions:
  VALIDN VARIANCE PCGT(n)
  SUM KURTOSIS PCLT(n)
  MIN SKEWNESS PCIN(min,max)
  MAX MEDIAN(min,max) ABFREQ(min,max)
  MEAN MODE(min,max) RELFREQ(min,max)
  STDEV
  Composite Functions:
  DIVIDE(agg(varname) agg(varname) [factor])
  PCT(agg(varname) agg(varname))
  SUBTRACT(agg(varname) agg(varname))
  ADD(agg(varname) agg(varname)...
  GREAT(agg(varname) agg(varname)...
  LEAST(agg(varname) agg(varname)...
  AVERAGE(agg(varname) agg(varname)...
  MULTIPLY(agg(varname) agg(varname)...
```

**REVIEW**

```
REVIEW { [LOC
          LISTING
          BOTH
          'filename' 'filename' ] }
```

**SAMPLE**

```
SAMPLE { sampling fraction
         sample size FROM file size }
```

**SAVE**

```
SAVE [OUTFILE={SPSS.SYS**}] [/DROP=varlist]
      {'filename'}

[ [COMPRESSED
  UNCOMPRESSED
  QUICK ] ]
```

**SELECT IF**

SELECT IF (logical expression)

*Relational Operators:*

EQ or = Equal to NE or ~= or <> Not equal to  
 LT or < Less than LE or <= Less than or equal to  
 GT or > Greater than GE or >= Greater than or equal to

*Logical Operators:*

AND or & OR or | NOT or ~

*Missing-Value Functions:*

SYSTEMS Returns 1 (true) if value is system-missing  
 MISSING Returns 1 (true) if value is system- or user-missing  
 VALUE Returns the value itself, ignoring user-missing flags

**SET**

```
SET [SCREEN={ON
        OFF}] [PRINTER={OFF
        ON}] [LISTING={SPSS.LIS
        ON
        OFF
        'filename'}]
     [LENGTH={24
        n}] [WIDTH={79
        132
        NARROW
        WIDE}] [EJECT={OFF
        ON}]
     [LOC={SPSS.LOG
        ON
        OFF
        'filename'}] [RESULTS={SPSS.PRC
        'filename'}]
     [HISTOGRAM={S
        'char'}] [BLOCK={M
        'char'}]
     [BOXSTRING={. . . . . H . . . . .}
        . 11 char
        . 3 char
        ] [PTRANSlate={ON
        OFF}]
     [INCLUDE={ON
        OFF}] [ECHO={OFF
        ON}]
     [PROMPT={SPSS/PC:
        'string'}] [CPROMPT={
        'string'}] [MORE={ON
        OFF}]
     [ENDCMD={
        'char'}] [NULLLINE={ON
        OFF}] [BEEP={ON
        OFF}]
     [COLOR={ (1,1,1)
        ON
        OFF
        (a,b,c)
        } ] [RCOLOR={ (1,2,4)
        (a,b,c)
        } ]
     [COMPRESS={OFF
        ON}] [WORKDEV=device]
     [BLANKS={
        real num
        } ] [SEED={RANDOM
        number
        } ]
```

When SCREEN is OFF, the following defaults are in effect:

```
LENGTH=69 EJECT=ON
BOXSTRING=-{+++++++} HISTOGRAM='X' BLOCK='X'
```

**SHOW**

SHOW

**SORT**

```
SORT CASES [BY] varlist {[A]} [varlist...]
              {D}
```

**SPSS MANAGER**

```
SPSS MANAGER { REMOVE =procedure-name {procedure-name...}
                INSTALL =procedure-name {procedure-name...}
                STATUS =procedure-name {procedure-name...}
                [CONFIRM
                NOCONFIRM]
                [/FROM={device or path specification}]
                {'A:'} }
```

**SUBTITLE**

```
SUBTITLE [ { } ] text [ { } ]
```

**TITLE**

```
TITLE [ { } ] text [ { } ]
```

**T-TEST**

*Independent Samples:*

```
T-TEST GROUPS=varname [ { (1,2
                        value
                        value,value)
                        ] /VARIABLES=varlist
                        [/OPTIONS=option numbers]
```

*Paired Samples:*

```
T-TEST PAIRS=varlist [WITH varlist] [/{PAIRS=} varlist ...]
                        [/OPTIONS=option numbers]
```

*Options:*

- 1 Include user-missing values 3 Suppress variable labels
- 2 Exclude missing values listwise 5 Special pairing for WITH

**VALUE LABELS**

```
VALUE LABELS varlist value 'label' value 'label' ...
              [/varlist ...]
```

**VARIABLE LABELS**

```
VARIABLE LABELS varlist 'label' [/{varname ...}]
```

**WEIGHT**

```
WEIGHT [BY varname]
        [OFF]
```

**WRITE**

```
WRITE [VARIABLES={ALL**
                  varlist
                  } ]
      [ /CASES={FROM {1**} [TO {eof**}
                    n
                    ]
            } ]
      [BY {1**
           n
           } ]
      [ /FORMAT={UNNUMBERED**} [ /WRAP** ] [WEIGHT] ]
              [NUMBERED
              SINGLE
              ]
```