



First Semester Examination  
2022/2023 Academic Session

February 2023

**EMM 101 – Engineering Mechanics**  
*(Mekanik Kejuruteraan)*

Duration: 3 hours  
(Masa: 3 Jam)

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Please check that this examination paper consists of FIVE (5) pages of printed material before you begin the examination.

*[Sila pastikan bahawa kertas peperiksaan ini mengandungi LIMA (5) muka surat yang bercetak sebelum anda memulakan peperiksaan ini.]*

**Instructions:** Answer ALL **FOUR (4)** questions.

**Arahan:** Jawab **EMPAT (4)** soalan]

1. (a) i. Figure Q1(a) shows three forces that are acting on a bracket. If  $\phi = 30^\circ$  and  $F_1 = 250 \text{ N}$ , determine the magnitude of the resultant force acting on the bracket and its direction measured clockwise from the positive  $x$  axis.

ii. If the resultant force acting on the bracket is now to be directed along the positive  $x$  axis and the magnitude of  $F_1$  is required to be a minimum, determine the magnitudes of the resultant force and  $F_1$ .

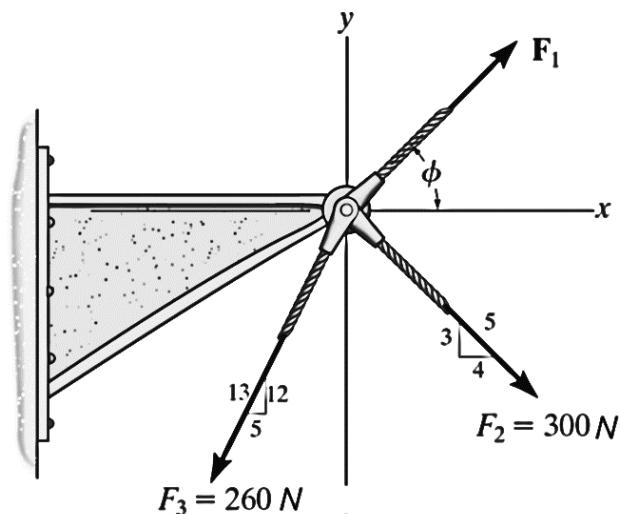


Figure Q1(a)

**(60 marks)**

(b) Figure Q1 (b) shows a hinge that is acting by a force with magnitude of 150 N at point D. Compute the equivalent force and moment acting at A in vector notation.

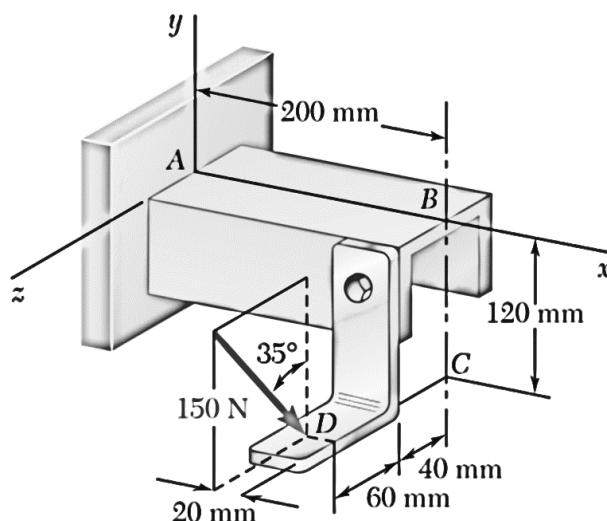


Figure Q1(b)

**(40 marks)**

2. (a) Figure Q2 (a) shows the rod AB, which is supported by two cables BC, BD and a ball-and-socket connection at A.

- i. Draw the free body diagram of the assembly of Figure Q2 [a].
- ii. Determine the components of reaction at the ball-and-socket joint A and the tension in each cable necessary for equilibrium of the rod.

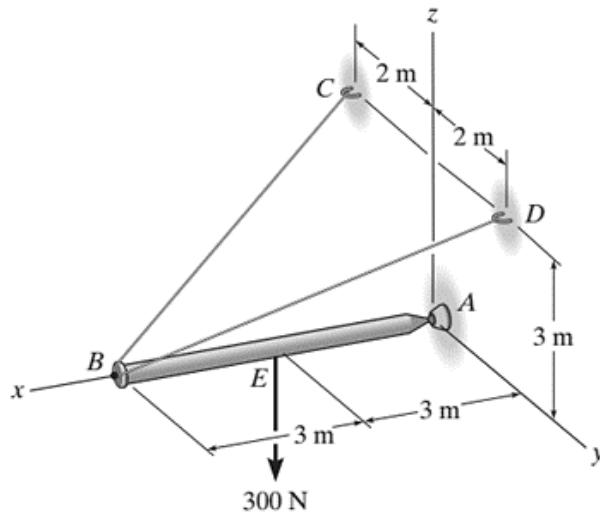


Figure Q2 (a)

**(60 marks)**

(b) Figure Q2 (b) shows the composite cross-sectional area of the C-shape beam.

- i. Determine the centroid  $\bar{x}$  of the beam's cross-sectional area.
- ii. Determine the moment of inertia of the area about the centroidal  $y'$  axis.

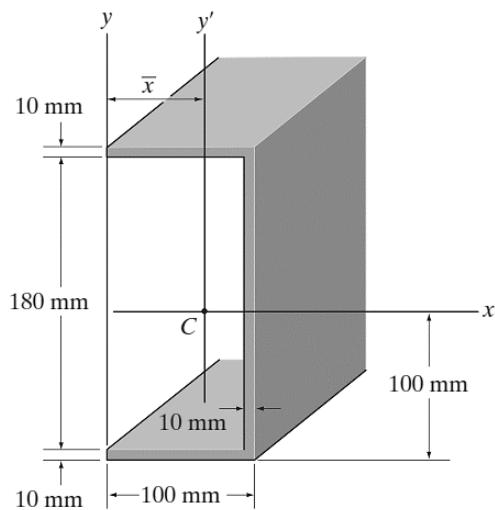


Figure Q2 (b)

**(40 marks)**

3. (a) The truck shown in Figure 3 (a) is traveling at 90 km/h when the driver applies the brakes to come to stop. The deceleration of the truck is constant and the truck comes to a complete stop after braking for a distance of 100 m.

i. Determine the minimum coefficient of static friction between crate A and the truck bed so that the crate does not slide relative to the truck.

**(30 marks)**

ii. If the coefficient of kinetic friction between crate A and the bed of the truck is 0.3 and static friction is not sufficient to prevent slip, determine the minimum distance  $d$  between crate A and truck B so that crate A never hits the truck at B.

**(30 marks)**

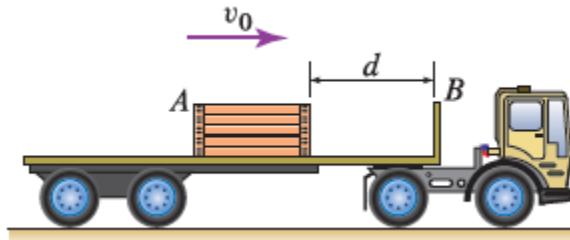


Figure 3 (a)

(b) Car bumpers are designed to limit the extent of damage to the car in the case of low-velocity collisions. Consider a 1500 kg car as shown in Figure 3 (b) impacting a concrete barrier while traveling at a speed of 6 km/h. If the type of bumper is a linear spring of constant  $k$  in parallel with a shock absorbing unit generating a nearly constant force of 3000 N over 8 cm, determine the value of  $k$  necessary to stop the car when the bumper is pre-compressed 8 cm.

**(40 marks)**

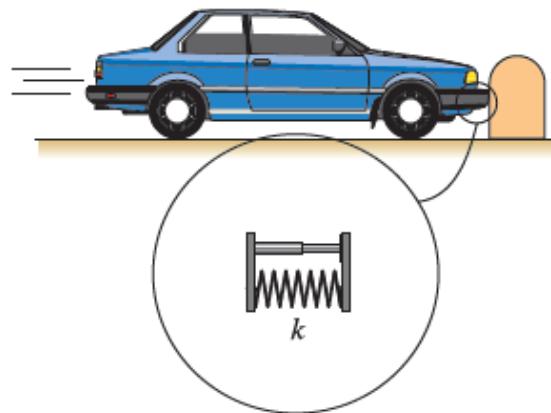


Figure 3 (b)

4. (a) Figure 4 (a) shows a 0.347 kg ball rolling on an irregular and frictionless loop. The radius of curvature at the top of the loop (**T**) is  $\rho = 1.4$  m.

- Determine the minimum speed of the ball required at point **T** such that it can stay on the loop.
- Determine the minimum initial velocity of the ball ( $V_{\text{initial}}$ ) such that the ball could stay on the loop without falling.
- Determine the final velocity of the ball at location **B** if the initial velocity at **A** is  $V_{\text{initial}} = 10$  m/s.
- Determine the normal force  $N$  of the loop against the ball at **T** if the initial velocity at **A** is  $V_{\text{initial}} = 10$  m/s

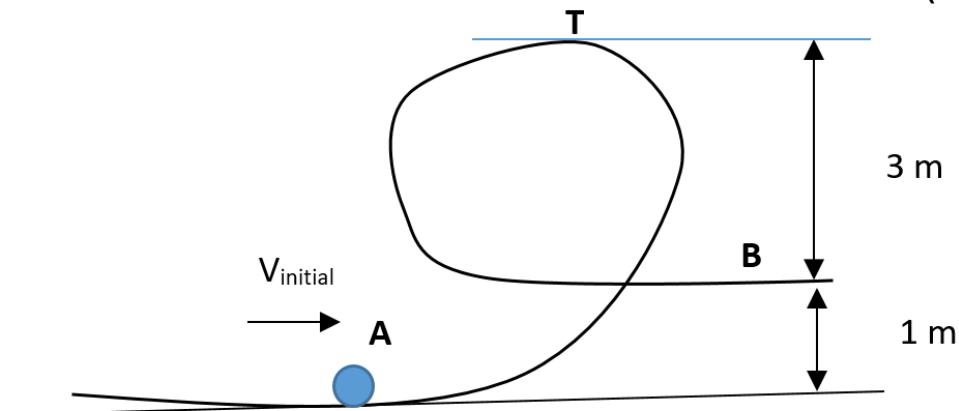
**(60 marks)**

Figure 4 (a)

(b) Figure 4 (b) shows a girl throws a 0.6kg ball with a horizontal velocity of  $v_1 = 2.4$  m/s at height of 0.9m. If the coefficient of restitution between the ball and the ground is  $e = 0.8$ , determine:

- The vertical velocity of the ball just after it rebounds from the ground
- The horizontal velocity of the ball just after it rebounds from the ground
- The maximum height ( $h$ ) to which the ball rises after the first bounce.

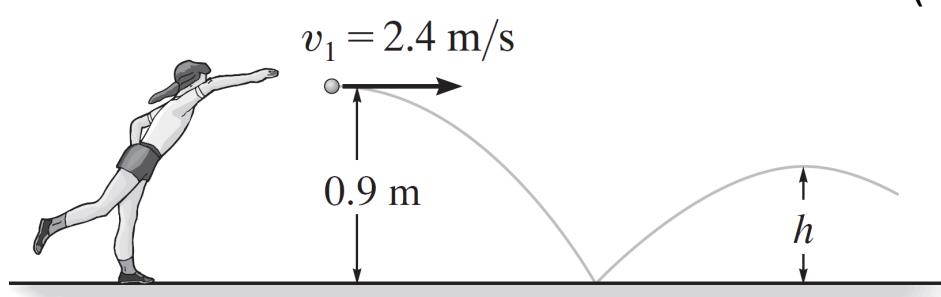
**(40 marks)**

Figure 4 (b)