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UNIVERSITI SAINS MALAYSIA

First Semester Examination  
Academic Session 2004/2005

October 2004

**ZCT 307E/3 - Solid State Physics I**  
*[Fizik Keadaan Pepejal I]*

Duration : 3 hours  
*[Masa : 3 jam]*

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Please check that this examination paper consists of **THREE** pages of printed material before you begin the examination.

*[Sila pastikan bahawa kertas peperiksaan ini mengandungi **TIGA** muka surat yang bercetak sebelum anda memulakan peperiksaan ini.]*

**Instructions:** Answer all **FOUR** (4) questions. Students are allowed to answer all questions in Bahasa Malaysia or in English.

**Arahan:** *Jawab kesemua **EMPAT** (4) soalan. Pelajar dibenarkan menjawab semua soalan sama ada dalam Bahasa Malaysia atau Bahasa Inggeris.]*

1. (a) Discuss the reasons for the failure of Dulong and Petit's law to predict the specific heat at low temperatures. Why should the law be valid at high temperatures?  
 [(a) *Bincang mengapa hukum Dulong dan Petit tidak mampu meramal haba tentu pada suhu rendah. Kenapa hukum itu berlaku pada suhu tinggi?*]
- (b) Discuss how Debye's theory managed to overcome the shortcomings of the classical theory.  
 [(b) *Bincangkan bagaimana teori Debye mengatasi masalah di atas.*]
- (c) Debye temperature of carbon is 1850 K. Compute the Debye frequency involved in the Debye theory.  
 [(c) *Suhu Debye bagi karbon adalah 1850 K. Tentukan frekuensi Debye bagi kes teori Debye.*]
- (20/100)
2. (a) Discuss the failure of the classical free electron model with special reference to the specific heat of metals.  
 [(a) *Bincangkan kegagalan model klasik elektron bebas berasaskan haba tentu logam.*]
- (b) Explain how Sommerfeld modified the free electron theory to remove this shortcomings.  
 [(b) *Jelaskan bagaimana model Sommerfeld mengubahsuai teori elektron bebas bagi menjelaskan perkara di atas.*]
- (c) Estimate the fractions of electrons excited about the Fermi level at room temperature ( $T = 300$  K).  $E_F = 3.1$  eV for Na.  
 [(c) *Tentukan pecahan elektron yang teruja sekitar paras Fermi pada suhu bilik ( $T = 300$  K).  $E_F = 3.1$  eV bagi Na.*]
- (25/100)
3. (a) The Equation below is derived from the Kronig-Penney Model for an electron in a periodic field,  
 [(a) *Persamaan berikut telah diterbitkan daripada model Kronig-Penney.*]

$$P \frac{\sin \alpha a}{\alpha a} + \cos \alpha a = \cos ka$$

where [di mana]  $P = \frac{mV_0ba}{\hbar^2}$  and [dan]  $\alpha^2 = \frac{2mE}{\hbar^2}$

(i) Explain the physical meaning of all the terms in the equation above.  
 [(i) *Jelaskan maksud fizikal bagi semua sebutan persamaan di atas.*]

[ii] Plot a graph of  $P \frac{\sin \alpha a}{\alpha a} + \cos \alpha a$  versus  $\alpha a$ . Discuss what you can deduce from the graph.

[(ii) *Plot graf  $P \frac{\sin \alpha a}{\alpha a} + \cos \alpha a$  lawan  $\alpha a$ . Bincang apa yang anda perolehi dari graf tersebut.*]

(b) Show from the E-k graph that materials can be classified into conductors, insulators and semiconductors.

[(b) *Dari graf E-k bagaimanakah anda boleh mengelaskan bahan konduktor, penebat dan semikonduktor*]

[c] Prove that for the Kronig Penney model the energy of the lowest energy band at  $k = 0$  is  $E = \frac{\hbar^2 P}{ma^2}$

[(c) *Buktikan dari model Kronig-Penney bahawa tenaga bagi jalur terendah  $k = 0$  adalah  $E = \frac{\hbar^2 P}{ma^2}$  ]*

(30/100)

4. (a) Show that for the case of intrinsic semiconductors, the carrier concentration is given by

[(a) *Tunjukkan bagi kes semikonduktor intrinsik, kepekatan pembawa diberi oleh*

$$n = p = n_i = 2 \left( \frac{k_B T}{2\pi \hbar^2} \right)^{3/2} (m_e m_h)^{3/4} e^{-E_g / 2k_B T}$$

[b] Mobilities of electrons and holes in a sample of intrinsic germanium at 300 K are  $0.36 \text{ m}^2 \text{V}^{-1} \text{s}^{-1}$  and  $0.17 \text{ m}^2 \text{V}^{-1} \text{s}^{-1}$  respectively. If the conductivity of the specimen is  $2.12 \Omega^{-1} \text{m}^{-1}$ , compute the forbidden energy gap.

[(b) *Kelincahan elektron dan lohong bagi sampel germanium intrinsik pada suhu 300 K adalah  $0.36 \text{ m}^2 \text{V}^{-1} \text{s}^{-1}$  dan  $0.17 \text{ m}^2 \text{V}^{-1} \text{s}^{-1}$  secara berturutan. Jika kekonduksian germanium adalah  $2.12 \Omega^{-1} \text{m}^{-1}$  hitung jurang tenaga germanium.*]

(25/100)