# UNIVERSITI SAINS MALAYSIA 

$1^{\text {st. }}$. Semester Examination
2004/2005 Academic Session
October 2004

## EAS 664/4 - Principle Structural Design

Time : 3 hours

## Instruction to candidates:

1. Ensure that this paper contains FIVE (5) printed pages.
2. This paper contains FIVE (5) questions. Answer ALL (5) questions.
3. All questions CAN BE answered in English.
4. Each question carry equal marks.
5. All question MUST BE answered on a new sheet.
6. Write the answered question numbers on the cover sheet of the answer script.
7. (a) Briefly describe the following structural forms in order to provide functional spaces of high-rise building to suit the clients's requirement:
i. Braced - Frame structures
ii. Shear - Wall structures
iii. Braced - Tube structures
(b) A ten storey rigid frames shown in Figure 1.0 is situated at Penang in the terrain category 3 area with the basic wind speed of $33.5 \mathrm{~m} / \mathrm{s}^{2}$. The basic wind speed has been converted to equivalent horizontal force as shown in Figure 1.0. The story height is typically 3.5 m , to give a total height of 30 m . The frames are spaced at 9 m . Using the Portal Method, calculate :
i. The horizontal external shear at mid-story level for each story.
ii. The shear to half-columns above and below of fifth story
iii. The maximum moment above and below joint at fifth story.
iv. The shear in the girder at fifth story.

Indicates all values ( $\mathrm{i}-\mathrm{iv}$ ) on the diagram.
(c) Describe TWO advantages for the above analysis in 2 (b) using Portal Method.


Figure 1.0
2. (a) Write the SIX (6) compatibility equations of deformed body or structure. Assume the deformation is small.
(6 marks)
(b) Show that Von Mises and Tresca Yield criteria in two spaces are elliptical and hexagon respectively. State the advantages of Von Mises Yield criteria compared to the Tresca Yield criteria.
(4 marks)
(c) Using stress- strain relationship, sketch the Bauchinger effect for homogenous material. Hence, explain what is homogenous material.
(4 marks)
(d) Derive the partial differential equation in X direction for two dimensional stress strain state.
(6 marks)
3. (a) Prepare the following basic data ( $\mathrm{i}-\mathrm{iv}$ ) to design a cantilever retaining wall to support a road shoulder as shown in the Figure 2.0. The top surface of the concrete pavement is subjected to uniformly distributed load of $10 \mathrm{kN} / \mathrm{m}$ and two point load P 1 and $\mathrm{P} 2=5 \mathrm{kN}$. Assume the retaining wall is backfilled with granular material having a unit weight of 20 $\mathrm{kN} / \mathrm{m}^{3}$ and an internal angle of friction of 30 . The bearing capacity from soil investigation is $200 \mathrm{kN} / \mathrm{m}^{2}$, the coefficient of friction is 0.5 and the unit weight of concrete pavement is $24 \mathrm{kN} / \mathrm{m}^{3}$.
Determine :
i. Determine the factors of safety against sliding
ii. Determine the factors of safety against overturning
iii. Determine the ground bearing pressures
iv. Check the design moment at base of stem


Figure 2.0
(b) A fixed end bar with cross section area A is subjected to an axial force P as shown in the Figure 3.0. Assume $\mathrm{A}=15 \mathrm{~cm}^{2}, \mathrm{E}=20 \times 10^{6} \mathrm{~N} / \mathrm{cm}^{2}$. Determine the displacement at point C.


Figure 3.0
4. (a) List and explain the fundamental points to be taken into account in the design of steel structure for preventing corrosion.
(b) Describe THREE (3) methods of cleaning steel structures for removing all millscales.
5. Figure 4.0 shows a single bay fixed base portal frame which has been constructed with steel grade S275, using the plastic theory of design. Details of the frames and loading are given below :-

| Data : | Frame centres | $=$ | 4.6 m |
| :--- | :--- | :--- | :--- |
|  | Span of portal | $=$ | 25.0 m |
|  | Height to eaves | $=$ | 7.6 m |
|  | Rafter slope | $=$ | $3: 10$ |
|  |  |  |  |
| Loading : | Imposed | $=$ | $0.75 \mathrm{kN} / \mathrm{m}^{2}$ |
|  | Sheets and insulation | $=$ | $0.21 \mathrm{kN} / \mathrm{m}^{2}$ |
|  | Purlins | $=$ | $0.07 \mathrm{kN} / \mathrm{m}^{2}$ |
|  | Frame | $=$ | $0.15 \mathrm{kN} / \mathrm{m}^{2}$ |

By assuming modes of failure as shown in the figure,
i. Determine the values of full plastic moment for factored load Mp elastic moment M and reaction forces R .
ii. Check the lateral stability on the heights of 7.6 m for a factored load of 1.91.


Figure 4.0

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